666	Supplemental Material
667	Approach for Generating Alternative/Simulated Exposure Levels in an Occupational Cohort for
668	Use in an Uncertainty Analysis
669	
670	Supplemental Material for "A Constrained Maximum Likelihood Approach to Evaluate the
671	Impact of Dose Metric on Cancer Risk Assessment: Application to β-Chloroprene," Allen et al.
672	
673	A cohort of individuals studied by Marsh et al. (2007a) was included as part of the analysis of cancer risk
674	associated with β -Chloroprene (CD) exposure in the above-referenced manuscript. The cohort that
675	worked at the Louisville, KY plant was characterized with respect to historical exposure levels. The
676	analysis included an uncertainty analysis (specifically focused on uncertainties associated with such
677	exposure reconstruction). A Monte Carlo approach was used to generate alternative/simulated
678	exposure levels that then could be used for dose-response assessment. The process used to generate
679	the simulated data is described below.
680	
681	Table S1 shows the break-down of the cohort with respect to job class and job subtitle. In that table, JC
682	= job class, JS = job subtitle (within JC), and JT = job task (within JS) (only available for some JS's, e.g., L7,
683	Operators; these are in comments column of Table S1).
684	
685	A worker may have a series of JC assignments during the course of his employment. To generate a
686	simulated exposure for that individual in one of those JC's, the following procedure was followed:

1. Randomly pick a JS for that JC.

688	2.	If the rotation type for that JS is "None," then do estimation of exposure level (see below) and
689		keep that estimate of exposure until the JC assignment changes (or end of employment is
690		reached) or a time point is reached where the nominal level for the JC changes or the GSD
691		changes (Tables S2, S3 and S4).

- 3. If the rotation type for that JS is "Equitable" and there are no JT's listed for that JS, then do the estimation of exposure level (see below) every month. Since nominal levels and GSD change by year, the monthly changes were assumed to coincide with the first of every calendar month (meaning that some parts of the duration of the JC assignment, at its beginning and/or at the end, will not be full months).
- 4. If the rotation type for that JS is "Equitable" and there are JT's listed for that JS, then:
 - a. pick a set of Betas and assign them to the JT (as per procedure below)
 - b. do the estimation of an exposure level for each JT
 - c. compute weighted average exposure
 - d. repeat a-c every month (see note in case 3 above about monthly changes occurring at the first of every calendar month)
- 5. If the rotation type is "Random A" or "Random B" then do estimation of exposure level once and keep that estimate of exposure until the JC assignment changes (or end of employment is reached **or** a time point is reached where the nominal level for the JC changes or the GSD changes (Tables S3 and S4). This will differ from case 2 above in the choice of Q, the mode of the triangular distribution, where here Q = 0.25 for Random A and Q = 0.75 for Random B.

Estimation of exposure level:

Let

nel = nominal exposure level for JC and year in question (Tables S2 and S3) (Esmen *et al.* 2007a)

GSD = geometric standard deviation for year in question (Table S4)

Let d_L and d_H be the deciles associated with the JS or JT in question (d_L may equal 1 and d_H may equal 10, and those are the default values when deciles are not specified in Table S1).

714 Pick u from a U(0,1) distribution

715
$$u' = (d_L-1)/10 + u*(d_H - (d_L - 1))/10$$

For Let F(x) = u', find x from inverse triangular distribution. If rotation type = "None" or "Equitable" then Q (the mode of the triangular distribution) equals 0.5. If rotation type is "Random A" then Q = 0.25. If rotation type is "Random B" then Q = 0.75, with minimum=0 and maximum=1 for all cases.

Finally, exposure level = $\exp\{\ln(\text{nel}) - 2*\ln(\text{GSD}) + x*(4*\ln(\text{GSD}))\}$. Note that this analysis uses a triangular distribution instead of a lognormal distribution to limit the extremes of exposure estimation. The triangular distribution's endpoints are $\ln(\text{nel}) \pm 2*\ln(\text{GSD})$ (on the log-scale), so the extreme low and high exposures that could be generated (at random) from an unconstrained lognormal distribution are eliminated.

- Estimation of Betas (weights to use with the subtasks for equitable job codes with multiple subtasks) are calculated using the following steps:
 - Choose a value for each of the n Betas using a U(1,30) distribution representing the number of days in the month, where n is the number of subtasks in the group
 - Rescale the n Betas by dividing by the sum of the beta values so that all values are
 between 0 and 1 and the sum of the betas = 1.
- This method has the following features:
 - Randomly assigning the betas to the subtasks is not necessary as they are already in a random order so can be assigned on a one-to-one basis.
 - All subtasks are represented in each month.

After all individuals in the cohort have been reassigned exposure estimates for each time period associated with a job class and subtitle, the cohort data is analyzed using the OCMAP software (Marsh et al. 1998) to generate new estimates the quartile-specific and overall average cumulative exposure.

Table S1. Louisville Job Classes (JC), Subtitles (JS), and Job Assignment Structure

JOB CLASS & SUBTITLES	JC	Rotation	Deciles	Comments
Background	L1			
Administration		None		
Food Service		None		Probably lower than administration
Background		None		
Plant Maintenance &	L2			Maintenance has only intermittent exposures
Labor				
Carpenters		None	1-4	Usually not exposed
Non-chemical		Random A	1-4	
operators (A)				
Laborers (A)		Random A	3 – 10	
Electricians		None	1-10	
Service Operators		None	1-10	Usually exposed but level indeterminate
Pipefitters		None	1-10	
Laggers		None	1-10	
Shipping/Stores (B)		Random B	4-8	
Painters (B)		Random B	1-5	
Firemen (B)		Random B	1-5	
Transportation (B)		Random B	6 – 10	
Mechanics		None	1-10	Some not exposed some as service operator.
Foremen		None	1-10	
Boilermakers		None	1-10	
Supervisors		None	1-4	
Engineers		None	2-7	

JOB CLASS & SUBTITLES	JC	Rotation	Deciles	Comments
Control Room		None	1-4	
Power Services	L3			
Power Operators &		Equitable	1-5	
Helpers				
Boiler Firemen		Equitable	4 – 10	
HCL Operators		Equitable	3 – 8	
Incinerator Operators		Equitable	6 – 10	
Laboratory	L4			
Laboratory Technician		Equitable	8 – 10	
Laboratory Attendant		Equitable	6 – 10	
Laboratory		Equitable	1-8	
Dishwasher				
Chemist		None	1-10	
MVA	L5			
Operators		Equitable		Inside (1-2):Outside (2-6) Sampling (6-8)
				Maintenance or repair (1-10): Rotates with
				Chemical Operator
Foremen		None	1-4	
Helpers		Equitable		2 Helpers per operator one inside one outside.
				Clean up (7-10) Inside (1-2) Outside (2-6)
Chemical operators		Equitable		Same as operator
Monomer	L6			
Operators		Equitable		Inside (1-2):Outside (2-6) Sampling (6-8) Filters
				(8-10) Shipping (2 – 4) Maintenance or repair (1-
				10)

JOB CLASS & SUBTITLES	JC	Rotation	Deciles	Comments
Foremen		None	2 – 4	
Supervisors		None	1 – 2	
Monomer Helpers		Equitable		Clean up (7-10) Inside (1-2) Outside (2-6)
				Filters(8-10)
Polymer	L7			
Operators		Equitable		Clean up (7-10) Kettle (8 - 10) 3 rd Floor - Feed
				and additives (1 - 3) Basement (2 – 6) Filters (2-
				6)
Foremen		None	3 – 7	
Supervisors		None	1 – 4	
Polymer Cleanup	L8			
Operators				
Cleanup		Equitable	2 – 10	
Utility		Equitable	1-6	
High Pressure Water		Equitable	6 – 8	
Freon	L9			
All jobs		None		
Finishing	L10			
Baggers		Equitable	6 – 10	
Finishing		Equitable	6 – 10	
Packaging		Equitable	1 – 4	
Ropers		Equitable	3 – 7	
Dryers		Equitable	3 – 7	
Choppers		Equitable	1-6	
Mill Room		Equitable	1-6	

JOB CLASS & SUBTITLES	JC	Rotation	Deciles	Comments
Freon Mechanics	L11			
All jobs		None		

a Deciles of the distribution varying exposure levels associated with the subtitle.

Table S2: Uniform Exposure Classification Levels

Exposure	Chloroprene Monomer ^a						
Class	Exposure Range	Nominal Exposure					
0	Exposure < 0.0005	0					
1	0.0005-0.005	0.0016					
2	0.005-0.05	0.016					
3	0.05-0.5	0.16					
4	0.5–5	1.6					
5	5–50	16					
6	50–100	71					
7	>100	160					

746 Obtained from Esmen et al. (2007a) Table 2

⁷⁴⁵ a Nominal exposure level (ppm).

Table S3: Summary of estimated chloroprene monomer exposure class levels for Louisville

748 Plant

Year /Job classes	L1	L2	L3	L4	L5	L6	L7	L8	L9	L10	L11
Pre-1955	1	5	3	5	5	5	6	6	0	6	0
1955–1957	1	4	3	5	5	5	5	5	0	5	1
1958–1960	1	4	3	4	5	5	5	5	0	5	1
1961–1963	1	4	3	4	5	4	5	5	0	5	1
1964–1974	1	4	3	4	4	4	5	5	0	5	1
1975	1	4	3	4	3	4	5	5	0	5	1
1976	1	4	3	4	3	4	5	5	0	4	1
1977–1979	1	4	3	4	0	4	5	5	0	4	1
1980	1	4	3	3	0	4	4	4	0	4	1
1981–1986	1	3	3	3	0	4	4	4	0	4	1
1987–1990	1	3	2	3	0	4	4	4	0	3	1
1991	1	2	2	3	0	4	4	4	0	3	1
1992	1	2	2	3	0	4	4	4	0	2	1
1993–1996	1	2	2	3	0	3	4	3	0	2	1
Post-1997	1	2	2	3	0	3	3	3	0	2	1

- Obtained from Esmen et al. (2007a) Table 3, where Job classes included:
- 750 L1 Background Administration, food service, other external jobs
- 751 L2 Plant maintenance and labor Trades, service operators, shipping stores, outside labor
- 752 L3 Power services Power, HCl, incinerator operators and helpers

- 753 L4 Laboratory chemist, technician, attendant
- 754 L5 MVA Operators, helpers
- 755 L6 Monomer Operators, helpers, foremen
- 756 L7 Polymer Operators, helpers, foremen
- L8 Polymer cleanup Clean-up, utility, high pressure water operators and helpers
- 758 L9 Freon (all jobs)
- 759 L10 Finishing Baggers, ropers, dryers, choppers, mill room
- 760 L11 Freon mechanics Freon mechanics

Table S4: Observed Reduction of Geometric Standard Deviation By Year with Resulting

Piecewise Linear Formula for Yearly Changes

762

Year	Observed Range (σ _G)
2000 - 1991	1.75 - 2.25
1990 - 1987	2.0 - 2.5
1986 - 1984	2.25 - 2.75
1983 - 1982	2.5 - 3.0
1982 - 1981	2.75 - 3.25
1980	3.0 - 3.5
1979	3.25 - 3.75
1978	3.5 - 4.0
1977	3.75 - 4.25
1976	4.0 - 4.5
1975	4.25 - 4.75
1974 - 1966	4.5 - 5.0
1965 or earlier	4.75 - 5.25

Equation for GSD (σ_{G_i}) point estimate: $\sigma_i^2 = \sigma_{i+1}^2 + \sigma_w^2 \times$

$$\frac{\Delta\sigma^2}{vear}$$

where i denotes a year, σ_w^2 = 0.1685, σ_{2000}^2 = 0.345, and

$$\sigma_{G_i} = e^{\sigma_i}$$

Year	$\Delta\sigma^2/year$
2000 - 1995	0
1994 - 1984	0.183
1983 - 1974	0.966
1973 - 1964	0.091
1963 - 1957	0.041
1956 - 1946	0.029